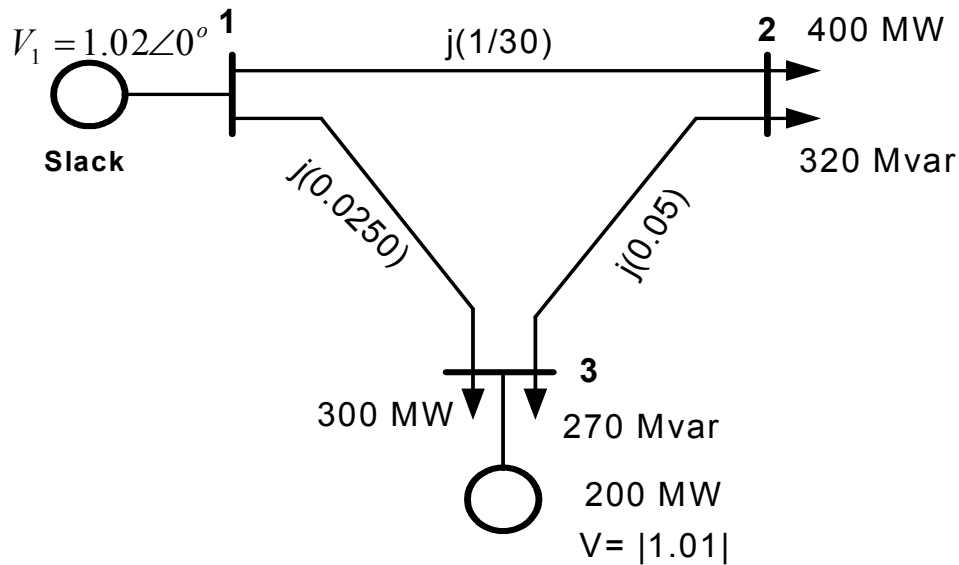


## STUDI ALIRAN DAYA SISTEM TENAGA 3 BUS



### Data Impedansi Saluran

$$Z_{12} := \left( \frac{1}{30} \right) i$$

$$Z_{13} := 0 + 0.025i$$

$$Z_{23} := 0 + 0.05i$$

### DATA ADMITANSI SALURAN KE TANAH

$$y_{12} := 0 + 0.0i$$

$$y_{13} := 0 + 0.0i$$

$$y_{23} := 0 + 0.0i$$

$$y_1 := y_{12} + y_{13}$$

$$y_2 := y_{12} + y_{23}$$

$$y_3 := y_{13} + y_{23}$$

### Data Pembangkitan

$$MVAdasar := 100$$

$$V_{1it0} := 1.05 + 0i$$

$$V_{2it0} := 1 + 0i$$

$$V_{3it0} := 1.01 + 0i$$

$$P_{3schb} := 300$$

$$P_{2sch} := \frac{-400}{MVAdasar}$$

$$Q_{2sch} := \frac{-320}{MVAdasar}$$

$$P_{3sch} := \frac{200 - P_{3schb}}{MVAdasar}$$

$$Q_{3schb} := 270$$

### KONVERSI IMPEDANSI KE DALAM ADMITANSI

$$Y_{12k} := \frac{1}{Z_{12}}$$

$$Y_{23k} := \frac{1}{Z_{23}}$$

$$Y_{13k} := \frac{1}{Z_{13}}$$

$$Y_{21k} := Y_{12k}$$

$$Y_{32k} := Y_{23k}$$

$$Y_{31k} := Y_{13k}$$

$$Y_{11} := Y_{12k} + Y_{13k} + y_1$$

$$Y_{22} := Y_{21k} + Y_{23k} + y_2$$

$$Y_{33} := Y_{31k} + Y_{32k} + y_3$$

## KONVERSI TEGANGAN DAN ADMITANSI BESARAN KE DALAM BENTUK POLAR

$$\begin{array}{llll} |Y_{11}| = 70 & \arg(Y_{11}) = -1.570796 & |Y_{32}| = 20 & \arg(Y_{32}) = 1.570796 \\ |Y_{21}| = 30 & \arg(Y_{21}) = 1.570796 & |Y_{13}| = 40 & \arg(Y_{13}) = 1.570796 \\ |Y_{31}| = 40 & \arg(Y_{31}) = 1.570796 & |Y_{23}| = 20 & \arg(Y_{23}) = 1.570796 \\ |Y_{12}| = 30 & \arg(Y_{12}) = 1.570796 & |Y_{33}| = 60 & \arg(Y_{33}) = -1.570796 \\ |Y_{22}| = 50 & \arg(Y_{22}) = -1.570796 & & \end{array}$$

## ITERASI PERTAMA

$$\begin{array}{llll} |V_{1it0}| = 1.05 & \arg(V_{1it0}) = 0 & |V_{2it0}| = 1 & \arg(V_{2it0}) = 0 \\ |V_{3it0}| = 1.01 & \arg(V_{3it0}) = 0 & & \end{array}$$

## BENTUK MATRIKS ADMITANSI

$$Y_{bus} := \begin{pmatrix} Y_{11} & Y_{12} & Y_{13} \\ Y_{21} & Y_{22} & Y_{23} \\ Y_{31} & Y_{32} & Y_{33} \end{pmatrix} \quad Y_{bus} = \begin{pmatrix} -70i & 30i & 40i \\ 30i & -50i & 20i \\ 40i & 20i & -60i \end{pmatrix}$$

## PENYELESAIAN PERSAMAAN DAYA

### METODE PERTAMA (BENTUK POLAR)

$$P_{2it1a} := |V_{2it0}| \cdot |V_{1it0}| \cdot |Y_{21}| \cdot \cos(\arg(Y_{21}) - \arg(V_{2it0}) + \arg(V_{1it0}))$$

$$P_{2it1b} := |V_{2it0}| \cdot |V_{2it0}| \cdot |Y_{22}| \cdot \cos(\arg(Y_{22}) - \arg(V_{2it0}) + \arg(V_{2it0}))$$

$$P_{2it1c} := |V_{2it0}| \cdot |V_{3it0}| \cdot |Y_{23}| \cdot \cos(\arg(Y_{23}) - \arg(V_{2it0}) + \arg(V_{3it0}))$$

$$P_{2it1} := P_{2it1a} + P_{2it1b} + P_{2it1c} \quad P_{2it1} = 6.227123 \times 10^{-15}$$

$$P_{3it1a} := |V_{3it0}| \cdot |V_{1it0}| \cdot |Y_{31}| \cdot \cos(\arg(Y_{31}) - \arg(V_{3it0}) + \arg(V_{1it0}))$$

$$P_{3it1b} := |V_{3it0}| \cdot |V_{2it0}| \cdot |Y_{32}| \cdot \cos(\arg(Y_{32}) - \arg(V_{3it0}) + \arg(V_{2it0}))$$

$$P_{3it1c} := |V_{3it0}| \cdot |V_{3it0}| \cdot |Y_{33}| \cdot \cos(\arg(Y_{33}) - \arg(V_{3it0}) + \arg(V_{3it0}))$$

$$P_{3it1} := P_{3it1a} + P_{3it1b} + P_{3it1c} \quad P_{3it1} = 7.581905 \times 10^{-15}$$

$$Q_{2it1a} := -|V_{2it0}| \cdot |V_{1it0}| \cdot |Y_{21}| \cdot \sin(\arg(Y_{21}) - \arg(V_{2it0}) + \arg(V_{1it0}))$$

$$Q_{2it1b} := -|V_{2it0}| \cdot |V_{2it0}| \cdot |Y_{22}| \cdot \sin(\arg(Y_{22}) - \arg(V_{2it0}) + \arg(V_{2it0}))$$

$$Q_{2it1c} := -|V_{2it0}| \cdot |V_{3it0}| \cdot |Y_{23}| \cdot \sin(\arg(Y_{23}) - \arg(V_{2it0}) + \arg(V_{3it0}))$$

$$Q_{2it1} := Q_{2it1a} + Q_{2it1b} + Q_{2it1c}$$

$$Q_{2it1} = -1.7$$

### SELISIH ANTARA DAYA PERHITUNGAN DENGAN DATA PEMBEBANAN

$$\Delta P_{2it1} := P_{2sch} - P_{2it1}$$

$$\Delta P_{3it1} := P_{3sch} - P_{3it1}$$

$$\Delta Q_{2it1} := Q_{2sch} - Q_{2it1}$$

$$\Delta P_{2it1} = -4$$

$$\Delta P_{3it1} = -1$$

$$\Delta Q_{2it1} = -1.5$$

### PENYUSUNAN ELEMEN MATRIKS JACOBIAN

$$J_{11a} := |V_{2it0}| \cdot |V_{1it0}| \cdot |Y_{21}| \cdot \sin(\arg(Y_{21}) - \arg(V_{2it0}) + \arg(V_{1it0}))$$

$$J_{11b} := |V_{2it0}| \cdot |V_{3it0}| \cdot |Y_{23}| \cdot \sin(\arg(Y_{23}) - \arg(V_{2it0}) + \arg(V_{3it0}))$$

$$J_{11} := J_{11a} + J_{11b}$$

$$J_{12} := -|V_{2it0}| \cdot |V_{3it0}| \cdot |Y_{23}| \cdot \sin(\arg(Y_{23}) - \arg(V_{2it0}) + \arg(V_{3it0}))$$

$$J_{13a} := |V_{1it0}| \cdot |Y_{21}| \cdot \cos(\arg(Y_{21}) - \arg(V_{2it0}) + \arg(V_{1it0}))$$

$$J_{13b} := 2 \cdot |V_{2it0}| \cdot |Y_{22}| \cdot \cos(\arg(Y_{22}) - \arg(V_{2it0}) + \arg(V_{2it0}))$$

$$J_{13c} := |V_{3it0}| \cdot |Y_{23}| \cdot \cos(\arg(Y_{23}) - \arg(V_{2it0}) + \arg(V_{3it0}))$$

$$J_{13} := J_{13a} + J_{13b} + J_{13c}$$

$$J_{21} := -|V_{3it0}| \cdot |V_{2it0}| \cdot |Y_{32}| \cdot \sin(\arg(Y_{32}) - \arg(V_{3it0}) + \arg(V_{2it0}))$$

$$J_{22a} := |V_{3it0}| \cdot |V_{1it0}| \cdot |Y_{31}| \cdot \sin(\arg(Y_{31}) - \arg(V_{3it0}) + \arg(V_{1it0}))$$

$$J_{22b} := |V_{3it0}| \cdot |V_{2it0}| \cdot |Y_{32}| \cdot \sin(\arg(Y_{32}) - \arg(V_{3it0}) + \arg(V_{2it0}))$$

$$J_{22} := J_{22a} + J_{22b}$$

$$J_{23} := |V_{3it0}| \cdot |Y_{32}| \cdot \cos(\arg(Y_{32}) - \arg(V_{3it0}) + \arg(V_{2it0}))$$

$$J_{31a} := |V_{2it0}| \cdot |V_{1it0}| \cdot |Y_{21}| \cdot \cos(\arg(Y_{21}) - \arg(V_{2it0}) + \arg(V_{1it0}))$$

$$J_{31b} := |V_{2it0}| \cdot |V_{3it0}| \cdot |Y_{23}| \cdot \cos(\arg(Y_{23}) - \arg(V_{2it0}) + \arg(V_{3it0}))$$

$$J31 := J31a + J31b$$

$$J32 := -|V2it0| \cdot |V3it0| \cdot |Y23| \cdot \cos(\arg(Y23) - \arg(V2it0) + \arg(V3it0))$$

$$J33a := -|V1it0| \cdot |Y21| \cdot \sin(\arg(Y21) - \arg(V2it0) + \arg(V1it0))$$

$$J33b := -2 \cdot |V2it0| \cdot |Y22| \cdot \sin(\arg(Y22) - \arg(V2it0) + \arg(V2it0))$$

$$J33c := -|V3it0| \cdot |Y23| \cdot \sin(\arg(Y23) - \arg(V2it0) + \arg(V3it0))$$

$$J33 := J33a + J33b + J33c$$

$$Jac1 := \begin{pmatrix} J11 & J12 & J13 \\ J21 & J22 & J23 \\ J31 & J32 & J33 \end{pmatrix}$$

$$Jac1 = \begin{pmatrix} 51.7 & -20.2 & 9.288639 \times 10^{-15} \\ -20.2 & 62.62 & 1.236852 \times 10^{-15} \\ 3.165607 \times 10^{-15} & -1.236852 \times 10^{-15} & 48.3 \end{pmatrix}$$

$$\Delta Pit1 := \begin{pmatrix} \Delta P2it1 \\ \Delta P3it1 \\ \Delta Q2it1 \end{pmatrix}$$

$$\Delta \delta 1 := Jac1^{-1} \cdot \Delta Pit1$$

$$\Delta \delta 1 = \begin{pmatrix} -0.095666 \\ -0.046829 \\ -0.031056 \end{pmatrix}$$

### HASIL PEROLEHAN TEGANGAN DAN BEDA FASA ITERASI PERTAMA

$$V1it1 := V1it0$$

$$V2it1 := |V2it0| + \Delta \delta 1_{2,0}$$

$$V3it1 := V3it0$$

$$sdtV1it1 := \arg(V1it0)$$

$$sdtV2it1 := \arg(V2it0) + \Delta \delta 1_{0,0}$$

$$sdtV3it1 := \arg(V3it0) + \Delta \delta 1_{1,0}$$

### MASUK ITERASI KEDUA

### KONVERSI TEGANGAN KE DALAM BENTUK KOMPLEKS

$$V11 := V1it1 \angle 0 \quad V21 := V2it1 \angle sdtV2it1 \quad V31 := V3it1 \angle sdtV3it1$$

$$|V11| = 1.05 \quad |V21| = 0.968944 \quad |V31| = 1.01$$

### PENYELESAIAN PERSAMAAN DAYA

$$P2it2a := |V21| \cdot |V11| \cdot |Y21| \cdot \cos(\arg(Y21) - \arg(V21) + \arg(V11))$$

$$P2it2b := |V21| \cdot |V21| \cdot |Y22| \cdot \cos(\arg(Y22) - \arg(V21) + \arg(V21))$$

$$P2it2c := |V21| \cdot |V31| \cdot |Y23| \cdot \cos(\arg(Y23) - \arg(V21) + \arg(V31))$$

$$P2it2 := P2it2a + P2it2b + P2it2c \quad P2it2 = -3.870945$$

$$P3it2a := |V31| \cdot |V11| \cdot |Y31| \cdot \cos(\arg(Y31) - \arg(V31) + \arg(V11))$$

$$P3it2b := |V31| \cdot |V21| \cdot |Y32| \cdot \cos(\arg(Y32) - \arg(V31) + \arg(V21))$$

$$P3it2c := |V31| \cdot |V31| \cdot |Y33| \cdot \cos(\arg(Y33) - \arg(V31) + \arg(V31))$$

$$P3it2 := P3it2a + P3it2b + P3it2c \quad P3it2 = -1.030291$$

$$Q2it2a := -|V21| \cdot |V11| \cdot |Y21| \cdot \sin(\arg(Y21) - \arg(V21) + \arg(V11))$$

$$Q2it2b := -|V21| \cdot |V21| \cdot |Y22| \cdot \sin(\arg(Y22) - \arg(V21) + \arg(V21))$$

$$Q2it2c := -|V21| \cdot |V31| \cdot |Y23| \cdot \sin(\arg(Y23) - \arg(V21) + \arg(V31))$$

$$Q2it2 := Q2it2a + Q2it2b + Q2it2c \quad Q2it2 = -2.988878$$

### SELISIH ANTARA DAYA PERHITUNGAN DENGAN DATA PEMBEBANAN

$$\Delta P2it2 := P2sch - P2it2 \quad \Delta P3it2 := P3sch - P3it2 \quad \Delta Q2it2 := Q2sch - Q2it2$$

$$\Delta P2it2 = -0.129055 \quad \Delta P3it2 = 0.030291 \quad \Delta Q2it2 = -0.211122$$

### PENYUSUNAN ELEMEN MATRIKS JACOBIAN

$$J112a := |V21| \cdot |V11| \cdot |Y21| \cdot \sin(\arg(Y21) - \arg(V21) + \arg(V11))$$

$$J112b := |V21| \cdot |V31| \cdot |Y23| \cdot \sin(\arg(Y23) - \arg(V21) + \arg(V31))$$

$$J112 := J112a + J112b$$

$$J122 := -|V21| \cdot |V31| \cdot |Y23| \cdot \sin(\arg(Y23) - \arg(V21) + \arg(V31))$$

$$J132a := |V11| \cdot |Y21| \cdot \cos(\arg(Y21) - \arg(V21) + \arg(V11))$$

$$J132b := 2 \cdot |V21| \cdot |Y22| \cdot \cos(\arg(Y22) - \arg(V21) + \arg(V21))$$

$$J132c := |V31| \cdot |Y23| \cdot \cos(\arg(Y23) - \arg(V21) + \arg(V31))$$

$$J132 := J132a + J132b + J132c$$

$$J212 := -|V31| \cdot |V21| \cdot |Y32| \cdot \sin(\arg(Y32) - \arg(V31) + \arg(V21))$$

$$J222a := |V31| \cdot |V11| \cdot |Y31| \cdot \sin(\arg(Y31) - \arg(V31) + \arg(V11))$$

$$J222b := |V31| \cdot |V21| \cdot |Y32| \cdot \sin(\arg(Y32) - \arg(V31) + \arg(V21))$$

$$J222 := J222a + J222b$$

$$J232 := |V31| \cdot |Y32| \cdot \cos(\arg(Y32) - \arg(V31) + \arg(V21))$$

$$J312a := |V21| \cdot |V11| \cdot |Y21| \cdot \cos(\arg(Y21) - \arg(V21) + \arg(V11))$$

$$J312b := |V21| \cdot |V31| \cdot |Y23| \cdot \cos(\arg(Y23) - \arg(V21) + \arg(V31))$$

$$J312 := J312a + J312b$$

$$J322 := -|V21| \cdot |V31| \cdot |Y23| \cdot \cos(\arg(Y23) - \arg(V21) + \arg(V31))$$

$$J332a := -|V11| \cdot |Y21| \cdot \sin(\arg(Y21) - \arg(V21) + \arg(V11))$$

$$J332b := -2 \cdot |V21| \cdot |Y22| \cdot \sin(\arg(Y22) - \arg(V21) + \arg(V21))$$

$$J332c := -(|V31|) \cdot |Y23| \cdot \sin(\arg(Y23) - \arg(V21) + \arg(V31))$$

$$J332 := J332a + J332b + J332c$$

$$\text{Jac2} := \begin{pmatrix} J112 & J122 & J132 \\ J212 & J222 & J232 \\ J312 & J322 & J332 \end{pmatrix} \quad \text{Jac2} = \begin{pmatrix} 49.931512 & -19.549335 & -3.995013 \\ -19.549335 & 61.92283 & 0.986115 \\ -3.870945 & 0.95549 & 45.362529 \end{pmatrix}$$

$$\Delta P_{it2} := \begin{pmatrix} \Delta P_{2it2} \\ \Delta P_{3it2} \\ \Delta Q_{2it2} \end{pmatrix} \quad \Delta \delta_2 := \text{Jac2}^{-1} \cdot \Delta P_{it2} \quad \Delta \delta_2 = \begin{pmatrix} -3.144265 \times 10^{-3} \\ -4.252433 \times 10^{-4} \\ -4.913454 \times 10^{-3} \end{pmatrix}$$

### HASIL PEROLEHAN TEGANGAN DAN BEDA FASA ITERASI KEDUA

$$V1it2 := V1it1$$

$$V2it2 := |V2it1| + \Delta \delta_{2,0}$$

$$V3it2 := V3it1$$

$$\text{sdt}V1it2 := \arg(V1it2) \quad \text{sdt}V2it2 := \arg(V21) + \Delta \delta_{2,0}$$

$$\text{sdt}V3it2 := \arg(V31) + \Delta \delta_{2,0}$$

### ITERASI KETIGA

### KONVERSI TEGANGAN KE DALAM BENTUK KOMPLEKS

$$V12 := V1it2 \angle 0 \quad V22 := V2it2 \angle \text{sdt}V2it2 \quad V32 := V3it2 \angle \text{sdt}V3it2$$

$$|V12| = 1.05 \quad |V22| = 0.964031$$

### **PENYELESAIAN PERSAMAAN DAYA**

$$P2it3a := |V22| \cdot |V12| \cdot |Y21| \cdot \cos(\arg(Y21) - \arg(V22) + \arg(V12))$$

$$P2it3b := |V22| \cdot |V22| \cdot |Y22| \cdot \cos(\arg(Y22) - \arg(V22) + \arg(V22))$$

$$P2it3c := |V22| \cdot |V32| \cdot |Y23| \cdot \cos(\arg(Y23) - \arg(V22) + \arg(V32))$$

$$P2it3 := P2it3a + P2it3b + P2it3c \quad P2it3 = -3.999228$$

$$P3it3a := |V32| \cdot |V12| \cdot |Y31| \cdot \cos(\arg(Y31) - \arg(V32) + \arg(V12))$$

$$P3it3b := |V32| \cdot |V22| \cdot |Y32| \cdot \cos(\arg(Y32) - \arg(V32) + \arg(V22))$$

$$P3it3c := |V32| \cdot |V32| \cdot |Y33| \cdot \cos(\arg(Y33) - \arg(V32) + \arg(V32))$$

$$P3it3 := P3it3a + P3it3b + P3it3c \quad P3it3 = -1.000273$$

$$Q2it3a := -|V22| \cdot |V12| \cdot |Y21| \cdot \sin(\arg(Y21) - \arg(V22) + \arg(V12))$$

$$Q2it3b := -|V22| \cdot |V22| \cdot |Y22| \cdot \sin(\arg(Y22) - \arg(V22) + \arg(V22))$$

$$Q2it3c := -(|V22|) \cdot |V32| \cdot |Y23| \cdot \sin(\arg(Y23) - \arg(V22) + \arg(V32))$$

$$Q2it3 := Q2it3a + Q2it3b + Q2it3c \quad Q2it3 = -3.198631$$

### **SELISIH ANTARA DAYA PERHITUNGAN DENGAN DATA PEMBEBANAN**

$$\Delta P2it3 := P2sch - P2it3 \quad \Delta P3it3 := P3sch - P3it3 \quad \Delta Q2it3 := Q2sch - Q2it3$$

$$\Delta P2it3 = -7.72045 \times 10^{-4} \quad \Delta P3it3 = 2.729451 \times 10^{-4} \quad \Delta Q2it3 = -1.368746 \times 10^{-3}$$

### **PENYUSUNAN ELEMEN MATRIKS JACOBIAN**

$$J113a := |V22| \cdot |V12| \cdot |Y21| \cdot \sin(\arg(Y21) - \arg(V22) + \arg(V12))$$

$$J113b := |V22| \cdot |V32| \cdot |Y23| \cdot \sin(\arg(Y23) - \arg(V22) + \arg(V32))$$

$$J113 := J113a + J113b$$

$$J123 := -|V22| \cdot |V32| \cdot |Y23| \cdot \sin(\arg(Y23) - \arg(V22) + \arg(V32))$$

$$J133a := |V12| \cdot |Y21| \cdot \cos(\arg(Y21) - \arg(V22) + \arg(V12))$$

$$J133b := 2 \cdot |V22| \cdot |Y22| \cdot \cos(\arg(Y22) - \arg(V22) + \arg(V22))$$

$$J133c := |V32| \cdot |Y23| \cdot \cos(\arg(Y23) - \arg(V22) + \arg(V32))$$

$$J133 := J133a + J133b + J133c$$

$$J213 := -|V32| \cdot |V22| \cdot |Y32| \cdot \sin(\arg(Y32) - \arg(V32) + \arg(V22))$$

$$J223a := |V32| \cdot |V12| \cdot |Y31| \cdot \sin(\arg(Y31) - \arg(V32) + \arg(V12))$$

$$J223b := |V32| \cdot |V22| \cdot |Y32| \cdot \sin(\arg(Y32) - \arg(V32) + \arg(V22))$$

$$J223 := J223a + J223b$$

$$J233 := |V32| \cdot |Y32| \cdot \cos(\arg(Y32) - \arg(V32) + \arg(V22))$$

$$J313a := |V22| \cdot |V12| \cdot |Y21| \cdot \cos(\arg(Y21) - \arg(V22) + \arg(V12))$$

$$J313b := |V22| \cdot |V32| \cdot |Y23| \cdot \cos(\arg(Y23) - \arg(V22) + \arg(V32))$$

$$J313 := J313a + J313b$$

$$J323 := -|V22| \cdot |V32| \cdot |Y23| \cdot \cos(\arg(Y23) - \arg(V22) + \arg(V32))$$

$$J333a := -|V12| \cdot |Y21| \cdot \sin(\arg(Y21) - \arg(V22) + \arg(V12))$$

$$J333b := -2 \cdot |V22| \cdot |Y22| \cdot \sin(\arg(Y22) - \arg(V22) + \arg(V22))$$

$$J333c := -(|V32|) \cdot |Y23| \cdot \sin(\arg(Y23) - \arg(V22) + \arg(V32))$$

$$J333 := J333a + J333b + J333c$$

$$\text{Jac3} := \begin{pmatrix} J113 & J123 & J133 \\ J213 & J223 & J233 \\ J313 & J323 & J333 \end{pmatrix}$$

$$\text{Jac3} = \begin{pmatrix} 49.666385 & -19.447544 & -4.148445 \\ -19.447544 & 61.820191 & 1.04097 \\ -3.999228 & 1.003527 & 44.883556 \end{pmatrix}$$

$$\Delta \text{Pit3} := \begin{pmatrix} \Delta \text{P2it3} \\ \Delta \text{P3it3} \\ \Delta \text{Q2it3} \end{pmatrix}$$

$$\Delta \delta 3 := \text{Jac3}^{-1} \cdot \Delta \text{Pit3}$$

$$\Delta \delta 3 = \begin{pmatrix} -1.857588 \times 10^{-5} \\ -8.874596 \times 10^{-7} \\ -3.21308 \times 10^{-5} \end{pmatrix}$$

### HASIL PEROLEHAN TEGANGAN DAN BEDA FASA ITERASI KETIGA

$$V1it3 := V1it2$$

$$V2it3 := |V2it2| + \Delta \delta 3_{2,0}$$

$$V3it3 := V3it2$$

$$\text{sdt}V1it3 := \arg(V1it3)$$

$$\text{sdt}V2it3 := \arg(V22) + \Delta \delta 3_{0,0}$$

$$\text{sdt}V3it3 := \arg(V32) + \Delta \delta 3_{1,0}$$



## KONVERSI TEGANGAN KE DALAM BENTUK KOMPLEKS

$$V_{13} := V_{1it3} \angle 0 \quad V_{23} := V_{2it3} \angle \text{sdt}V_{2it3} \quad V_{33} := V_{3it3} \angle \text{sdt}V_{3it3}$$

$$|V_{13}| = 1.05 \quad |V_{23}| = 0.963999 \quad |V_{33}| = 1.01$$

$$\arg(V_{13}) = 0 \quad \arg(V_{23}) = -5.6625 \text{ deg} \quad \arg(V_{33}) = -2.7075 \text{ deg}$$

$$Q_{3a} := -|V_{33}| \cdot |V_{13}| \cdot |Y_{31}| \cdot \sin(\arg(Y_{31}) - \arg(V_{33}) + \arg(V_{13}))$$

$$Q_{3b} := -|V_{33}| \cdot |V_{23}| \cdot |Y_{32}| \cdot \sin(\arg(Y_{32}) - \arg(V_{33}) + \arg(V_{23}))$$

$$Q_{3c} := -(|V_{33}|) \cdot |V_{33}| \cdot |Y_{33}| \cdot \sin(\arg(Y_{33}) - \arg(V_{33}) + \arg(V_{33}))$$

$$Q_3 := Q_{3a} + Q_{3b} + Q_{3c} \quad Q_3 = -0.613523$$

$$P_{1a} := |V_{13}| \cdot |V_{13}| \cdot |Y_{11}| \cdot \cos(\arg(Y_{11}) - \arg(V_{13}) + \arg(V_{13}))$$

$$P_{1b} := |V_{13}| \cdot |V_{23}| \cdot |Y_{12}| \cdot \cos(\arg(Y_{12}) - \arg(V_{13}) + \arg(V_{23}))$$

$$P_{1c} := |V_{13}| \cdot |V_{33}| \cdot |Y_{13}| \cdot \cos(\arg(Y_{13}) - \arg(V_{13}) + \arg(V_{33}))$$

$$P_1 := P_{1a} + P_{1b} + P_{1c} \quad P_1 = 5$$

$$Q_{1a} := -|V_{13}| \cdot |V_{13}| \cdot |Y_{11}| \cdot \sin(\arg(Y_{11}) - \arg(V_{13}) + \arg(V_{13}))$$

$$Q_{1b} := -|V_{13}| \cdot |V_{23}| \cdot |Y_{12}| \cdot \sin(\arg(Y_{12}) - \arg(V_{13}) + \arg(V_{23}))$$

$$Q_{1c} := -|V_{13}| \cdot |V_{33}| \cdot |Y_{13}| \cdot \sin(\arg(Y_{13}) - \arg(V_{13}) + \arg(V_{33}))$$

$$Q_1 := Q_{1a} + Q_{1b} + Q_{1c} \quad Q_1 = 4.584577$$

$$V_{13} = 1.05 \quad V_{23} = 0.959295 - 0.095116i \quad V_{33} = 1.008872 - 0.04771i$$

Daya Nyata dan Reaktif Pada Bus Ayun dan Bus Pembangkit 3 Dalam MW dan MVAR

$$P_{bus1} := P_1 \cdot MV_{Adasar} \quad P_{bus3} := P_{3sch} \cdot MV_{Adasar}$$

$$Q_{bus1} := Q_1 \cdot MV_{Adasar} \quad Q_{bus3} := Q_3 \cdot MV_{Adasar}$$

$$S_1 := P_{bus1} - Q_{bus1} \cdot i \quad S_3 := P_{bus3} - Q_{bus3} \cdot i$$

$$S_1 = 499.999998 - 458.457685i \quad S_3 = -100 + 61.352336i$$

## Aliran Daya Kompleks Pada Saluran Dalam MW dan MVAR

$$S_{12} := \left[ V_{13} \cdot (\overline{V_{13}} - \overline{V_{23}}) \cdot -\overline{Y_{12}} + (V_{13} \cdot \overline{V_{13}} \cdot \overline{y_{12}}) \right] \cdot MVAdasar$$

$$S_{12} = 299.616276 + 285.722175i$$

$$S_{21} := \left[ V_{23} \cdot (\overline{V_{23}} - \overline{V_{13}}) \cdot -\overline{Y_{12}} + (V_{23} \cdot \overline{V_{23}} \cdot \overline{y_{12}}) \right] \cdot MVAdasar$$

$$S_{21} = -299.616276 - 233.898419i$$

$$S_{13} := \left[ V_{13} \cdot (\overline{V_{13}} - \overline{V_{33}}) \cdot -\overline{Y_{13}} + (V_{13} \cdot \overline{V_{13}} \cdot \overline{y_{13}}) \right] \cdot MVAdasar$$

$$S_{13} = 200.383722 + 172.735509i$$

$$S_{31} := \left[ V_{33} \cdot (\overline{V_{33}} - \overline{V_{13}}) \cdot -\overline{Y_{13}} + (V_{33} \cdot \overline{V_{33}} \cdot \overline{y_{13}}) \right] \cdot MVAdasar$$

$$S_{31} = -200.383722 - 156.864491i$$

$$S_{23} := \left[ V_{23} \cdot (\overline{V_{23}} - \overline{V_{33}}) \cdot -\overline{Y_{23}} + (V_{23} \cdot \overline{V_{23}} \cdot \overline{y_{23}}) \right] \cdot MVAdasar$$

$$S_{23} = -100.383721 - 86.101575i$$

$$S_{32} := \left[ V_{33} \cdot (\overline{V_{33}} - \overline{V_{23}}) \cdot -\overline{Y_{23}} + (V_{33} \cdot \overline{V_{33}} \cdot \overline{y_{23}}) \right] \cdot MVAdasar$$

$$S_{32} = 100.383721 + 95.512154i$$

## Rugi Daya Kompleks Pada Saluran

$$SL_{12} := S_{12} + S_{21} \quad SL_{12} = 51.823756i$$

$$SL_{13} := S_{13} + S_{31} \quad SL_{13} = 15.871019i$$

$$SL_{23} := S_{23} + S_{32} \quad SL_{23} = 9.410579i$$

$$Rugi\_daya\_total := SL_{12} + SL_{13} + SL_{23} \quad Rugi\_daya\_total = 77.105354i$$

$$P\_beban\_total := (P_{2sch}) \cdot MVAdasar \quad P\_beban\_total = -400$$

$$Q\_beban\_total := (Q_{2sch}) \cdot MVAdasar \quad Q\_beban\_total = -320$$

## KEBUTUHAN DAYA TOTAL

$$\begin{aligned} P_{\text{TOTAL}} &:= P_{\text{beban\_total}} - \text{Re}(\text{Rugi\_daya\_total}) & P_{\text{TOTAL}} &= -400 \\ Q_{\text{TOTAL}} &:= Q_{\text{beban\_total}} - \text{Im}(\text{Rugi\_daya\_total}) & Q_{\text{TOTAL}} &= -397.105354 \end{aligned}$$

## SUPLAI DAYA BUS AYUN DAN PEMBANGKIT

$$S_{\text{total}} := S_1 + S_3 \quad S_{\text{total}} = 399.999998 - 397.105348i$$

## TAHAPAN OPTIMASI

### LANGKAH PERTAMA

$$Y_{\text{busop}} := Y_{\text{bus}}$$

$$Y_{\text{busop}} = \begin{pmatrix} -70i & 30i & 40i \\ 30i & -50i & 20i \\ 40i & 20i & -60i \end{pmatrix}$$

### LANGKAH KEDUA

$$Z := Y_{\text{busop}}^{-1}$$

$$Z = \begin{pmatrix} 7.036874i \times 10^{13} & 7.036874i \times 10^{13} & 7.036874i \times 10^{13} \\ 7.036874i \times 10^{13} & 7.036874i \times 10^{13} & 7.036874i \times 10^{13} \\ 7.036874i \times 10^{13} & 7.036874i \times 10^{13} & 7.036874i \times 10^{13} \end{pmatrix}$$

$$Z_{\text{busop}} := \begin{pmatrix} Z_{0,0} & Z_{0,1} & Z_{0,2} & Z_{0,2} \\ Z_{1,0} & Z_{1,1} & Z_{1,2} & Z_{1,2} \\ Z_{2,0} & Z_{2,1} & Z_{2,2} & Z_{2,2} \\ Z_{2,0} & Z_{2,1} & Z_{2,2} & Z_{2,2} \end{pmatrix}$$

### LANGKAH KETIGA

#### Menentukan Matrik Resistansi Bus

$$R_{\text{bus}} := \begin{pmatrix} \text{Re}(Z_{0,0}) & \text{Re}(Z_{0,1}) & \text{Re}(Z_{0,2}) & \text{Re}(Z_{0,2}) \\ \text{Re}(Z_{1,0}) & \text{Re}(Z_{1,1}) & \text{Re}(Z_{1,2}) & \text{Re}(Z_{1,2}) \\ \text{Re}(Z_{2,0}) & \text{Re}(Z_{2,1}) & \text{Re}(Z_{2,2}) & \text{Re}(Z_{2,2}) \\ \text{Re}(Z_{2,0}) & \text{Re}(Z_{2,1}) & \text{Re}(Z_{2,2}) & \text{Re}(Z_{2,2}) \end{pmatrix}$$

#### LANGKAH KEEMPAT

Menghitung Arus Masing-masing Bus

$$I_{3d} := \frac{P_{3schb} + Q_{3schb} \cdot i}{\sqrt{V_{33}}} \quad I_2 := \frac{P_{2sch} - Q_{2sch} \cdot i}{\sqrt{V_{23}}}$$

#### LANGKAH KELIMA

Menghitung Harga d

$$d_2 := \frac{I_2}{I_{3d} + I_2} \quad d_3 := \frac{I_{3d}}{I_{3d} + I_2}$$

#### LANGKAH KEENAM

Menghitung Harga t

$$t_1 := \frac{Z_{busop_{0,0}}}{d_2 \cdot Z_{busop_{0,1}} + d_3 \cdot Z_{busop_{0,2}}}$$

$$t_3 := \frac{Z_{busop_{0,2}}}{d_2 \cdot Z_{busop_{0,1}} + d_3 \cdot Z_{busop_{0,2}}}$$

#### LANGKAH KETUJUH

Menentukan Matriks Transformasi C

$$C := \begin{pmatrix} 1 & 0 & 0 \\ 0 & 0 & 1 \\ -d_2 \cdot t_1 & -d_2 \cdot t_3 & -d_2 \cdot t_1 \\ -d_3 \cdot t_1 & -d_3 \cdot t_3 & -d_3 \cdot t_1 \end{pmatrix}$$

Konjugasi C

$$C_k := \bar{C}$$

$$C_k = \begin{pmatrix} 1 & 0 & 0 \\ 0 & 0 & 1 \\ 1.308617 \times 10^{-3} + 0.013251i & 1.308617 \times 10^{-3} + 0.013251i & 1.308617 \times 10^{-3} + 0.013251i \\ -1.001309 - 0.013251i & -1.001309 - 0.013251i & -1.001309 - 0.013251i \end{pmatrix}$$

### Matriks Transpose C

$$C_t := C_k^T$$

$$C_T := \overline{C_t}$$

### LANGKAH KEDELAPAN

#### Menentukan Matriks CT.R.Rk

$$C_t R C_k := C_T \cdot R_{bus} \cdot C_k$$

### LANGKAH KESEMBILAN

#### Menghitung Arus Tanpa Beban dan Harga $\alpha$

$$I_{noload} := \frac{-V_{13}}{Z_{busop_{0,0}}}$$

$$\alpha_1 := \frac{S_1}{\frac{Re(S_1)}{V_{13}}} \quad \alpha_2 := \frac{S_3}{\frac{Re(S_3)}{V_{33}}}$$

#### Menghitung Matriks Alpha

$$\alpha := \begin{pmatrix} \alpha_1 & 0 & 0 \\ 0 & \alpha_2 & 0 \\ 0 & 0 & I_{noload} \end{pmatrix}$$

#### Menentukan Konjugate Matriks Alpha

$$\alpha_k := \overline{\alpha}$$

### LANGKAH KESEPULUH

$$h := \alpha \cdot CT \cdot R_{bus} \cdot C_k \cdot \alpha_k$$

$$h_k := h^T$$

## Menghitung Matriks Hermitian

$$H := \frac{h + h_k}{2}$$

$$\gamma_1 := 0.8$$

$$\gamma_3 := 0.9$$

$$\lambda_0 := 8$$

$$\beta_1 := 7$$

$$\beta_3 := 6.3$$

## LANGKAH KESEBELAS

### Iterasi 1

$$E := \begin{bmatrix} \left(\frac{\gamma_1}{\lambda_0}\right) + H_{0,0} & H_{0,2} \\ H_{2,0} & \left(\frac{\gamma_3}{\lambda_0}\right) + H_{2,2} \end{bmatrix}$$

$$D := \begin{bmatrix} 1 - (2H_{0,2}) - \frac{\beta_1}{\lambda_0} \\ 1 - (2H_{1,2}) - \frac{\beta_3}{\lambda_0} \end{bmatrix}$$

Tebakan Awal Nilai Lambda:

$$\text{lambda0} := 8$$

$$P := E^{-1} \cdot D \quad P = \begin{pmatrix} 1.25 \\ 1.888889 \end{pmatrix}$$

$$P_g := P \cdot 100 \quad P_d := \frac{400}{100}$$

## LANGKAH KEDUABELAS

Menghitung rugi daya nyata sistem pada kondisi optimal

$$P_{losa} := H_{0,0} \cdot (P_0)^2 + 2H_{0,1}P_0P_1 + 2H_{0,2}P_0P_2 + 2H_{0,3}P_0P_3 + 2H_{1,3}P_1P_3 + 2H_{2,3}P_2P_3 + (H_{1,1}P_1^2 + H_{2,2}P_2^2 + H_{3,3}P_3^2)$$

$$P_{losb} := 2H_{1,2}P_1P_2 + [(H_{2,2})(P_2)^2 + H_{3,3}P_3^2]$$

Plosses := Plosa + Plosb      Plosa =





1i

$$1)(P_1)^2$$